

CLIP: A Cryptographic Language with Irritating Parentheses

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Introduction

- Motivation
 - Cryptographers
- Language features
 - Functional (Lisp)
 - Big number (GMP)
 - Bit sequence
- Cryptosystem
 - Public Key (RSA, El Gamel...)
 - Private Key (AES...)

Language Tutorial

(defvar | defun | expression)*

```
defvar i:int = 5;
```

```
defvar bs:bit#7 = '1011010;
```

```
defvar s:string = "Hello World";
```

```
defvar n:int[2][3] = {{1 2 4} {3 5 7}};
```

```
defun square:int n:int = (* n n);
```

```
(+ (square 3) 2)
```

Built-in function

For big number

+, -, *, /, mod, pow, inverse, is-prime, next-prime

For bits number

zero, rand, pad, flip, flip-bit

For vector operation

group, merge, make-vector, transpose

For logic operation

and, or, not, ^ (xor)

For comparison operation

less, greater, leq, geq, eq, neq, and, or, not

For conversion

int-of-bits, bits-of-int, string-of-bits, bits-of-string

Miscellaneous

let, map, reduce, lambda

Example Program

```
defun gcd:int a:int b:int=  
(if (eq a b)  
    a  
    (if (greater a b)  
        (gcd (- a b) b)  
        (gcd a (- b a))));
```

(gcd 5 15) ~~ Print 5

Example Program

```
defun theta:bit#64[5][5] block:bit#64[5][5] =  
(let <col-par:bit#320 (reduce ^ (map merge block))>  
  (map (lambda <row:bit#320>  
        (group (^ row (>>> col-par 64) (<<< col-par 63)) 64))  
        (map merge block))));
```

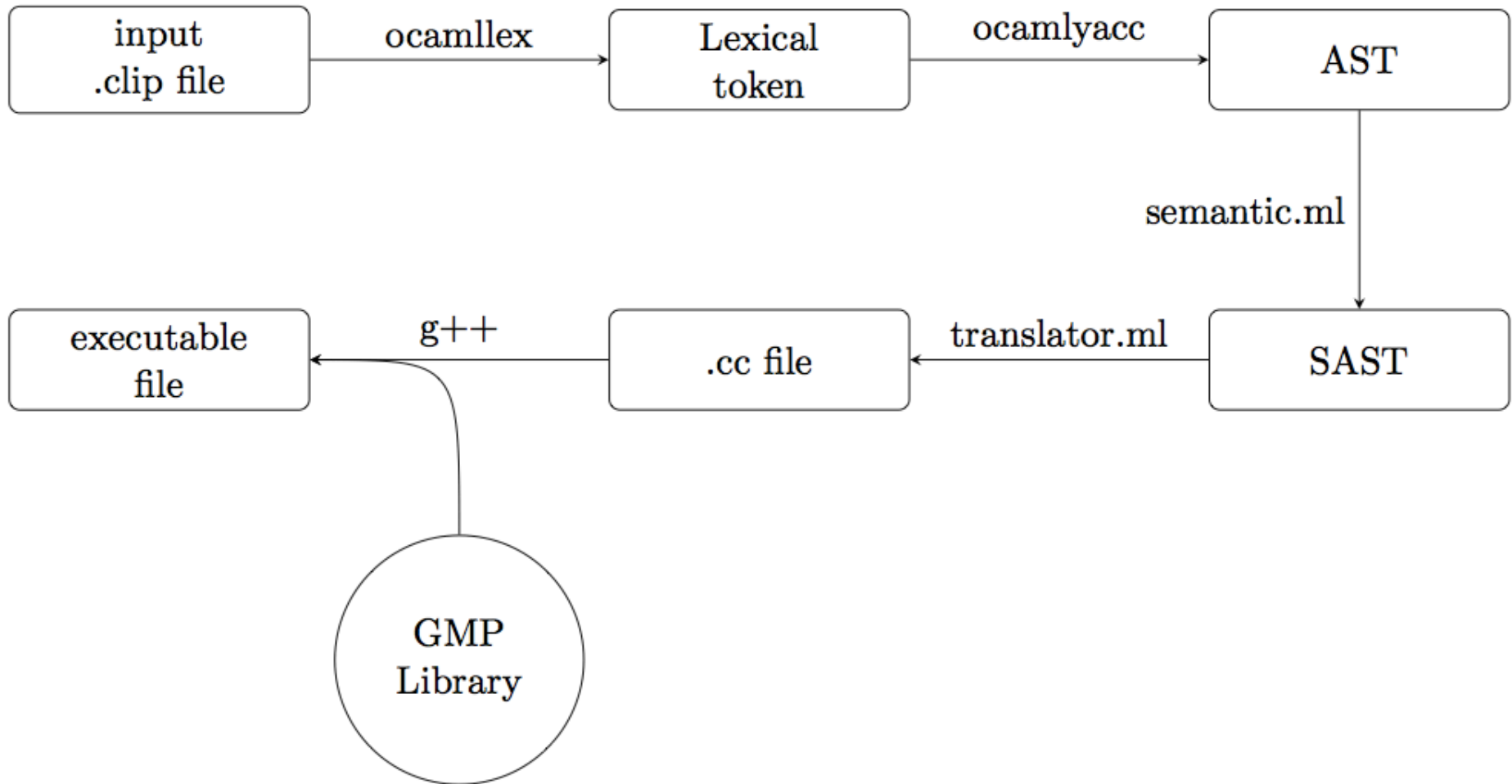
(let <variable:type expression1> expression2)

(map function vector)

(reduce function vector)

(lambda <argument:type> expression)

Architecture



Demo

- 1. GCD
- 2. SHA-3
- 3. RSA

SHA-3

$$(\theta \rightarrow \rho \rightarrow \pi \rightarrow \chi \rightarrow \iota) \times 24$$

	64 bits				
	1010...10	0000...11	0101...10	1110...11	0110...00
	0101...01	1001...01	0101...00	1111...11	0111...11
	0000...00	1111...11	0100...01	0100...11	0011...11
	1000...11	0111...01	1001...11	0000...00	1101...10
\oplus	1111...00	0010...10	0100...11	0000...00	1010...10
	-----	-----	-----	-----	-----
	1000...00	0001...10	1001...11	0101...11	0011...00
$\ggg 64$	0011...00	1000...00	0001...10	1001...11	0101...11
$\lll 63$	0000...00	0100...11	1010...11	1001...10	0100...00

RSA

$$n = p \cdot q$$

$$N = \phi(n) = (p - 1)(q - 1)$$

$$e = 65537$$

Public: n, e
Private: N, d

$$d = e^{-1} \bmod N$$

$$m = c^e \bmod n$$

$$c = m^d \bmod n$$