## EECS20n, Quiz 3, 10/27/00

Last Name $\qquad$ First $\qquad$ Lab $\qquad$ TA's name $\qquad$
Consider the following 7 discrete time systems with input and output signal space [Ints $\rightarrow$ Reals] and 7 continuous time systems with input and output signal space [Reals $\rightarrow$ Reals].

Discrete time systems $\forall x, \forall n \in$ Ints:
$\operatorname{Delay}(x)(n)=x(n-1)$
$\operatorname{SquaredDelay}(x)(n)=x^{2}(n-1)$
$\operatorname{Reverse}(x)(n)=x(-n)$
DiffEquation $(x)(n)=y(n)$ where $y(n)=y(n-2)+x(n-1)$
AddOne $(x)(n)=x(n)+1$
$($ AddOne $\circ \operatorname{Delay})(x)(n)=\operatorname{AddOne}(\operatorname{Delay}(x))(n)$
$($ AddOne + Delay $)(x)(n)=\operatorname{AddOne}(x)(n)+\operatorname{Delay}(x)(n)$
Continuous time systems $\forall x, \forall t \in$ Reals:
Delay $_{2.5}(x)(t)=x(t-2.5)$
AM $(x)(t)=\cos (2 \pi 20000 t) x(t)$
$F M(x)(t)=\cos (2 \pi(20000+x(t)) t)$
FastForward $(x)(t)=x(2 t)$
MovingAverage $(x)(t)=\frac{1}{10} \int_{s=t-10}^{t} x(s) d s$
$($ Delay $\circ$ MovingAverage $)(x)(t)=($ Delay $($ MovingAverage $(x))(t)$
$($ Delay + MovingAverage $)(x)(t)=\operatorname{Delay}(x)(t)+\operatorname{MovingAverage~}(x)(t)$

Fill in the entries of the following table with Yes or No. A correct answer for each row yields 1 point, an incorrect answer yields 0 points.

| System Name | Linear | Time-invariant |
| ---: | :--- | :--- |
| Delay |  |  |
| SquaredDelay |  |  |
| Reverse |  |  |
| DiffEquation |  |  |
| AddOne |  |  |
| AddOne $\circ$ Delay |  |  |
| AddOne + Delay |  |  |
| Delay |  |  |
| AM |  |  |
| FM |  |  |
| FastForward |  |  |
| MovingAverage |  |  |
| Delay $\circ$ MovingAverage |  |  |
| Delay + MovingAverage |  |  |

